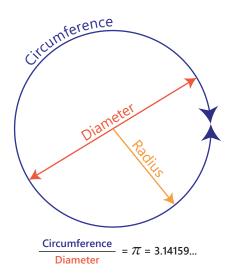


How to Use Pi

Pi (often represented by the lowercase Greek letter π), one of the most well-known mathematical constants, is the ratio of a circle's circumference to its diameter. For any circle, the distance around the edge is a little more than three times the distance across.

Circumference of a Circle:

When trying to find the circumference of any circle, simply multiply the diameter by π , like this: πd = circumference. Since the radius of any circle is half of its diameter, we can change this formula by substituting 2 times the radius in for diameter: $C = 2\pi r$.



Area of a Circle:

To find the area of a circle using pi, we multiply the radius (half the diameter) by itself, so we get radius squared: r^2 . Then we multiply radius squared by π . See the following formula: $A = r\pi^2$.

Pi Practice Questions

Now that you have the basics down, let's try some practice questions. When doing these practice questions and multiplying something by π , round to the hundredths place (3.14) to make things simpler.

- 1. A circle has a radius of 23 cm. Which of the following is the best estimate for the circumference of the circle? (Hint: plug the radius of 23 cm into the formula for circumference: $C = 2\pi r$.)
 - a. 71.76 cm
 - b. 143.52 cm
 - c. 144.44 cm
 - d. 72.22 cm

Don't forget to show your work!

- 2. The radius of a circle is 6 inches. What is the area?
 - a. 18.84 in²
 - b. 37.68 in²
 - $c. 87.98 in^2$
 - d. 113.04 in²

For more math help and pi-related activities, head to PiDay.org! Happy Pi Day!

Question 1: C. The circumference of a circle can be determined by using the formula $C = 2\pi \kappa$. Substitution of 23 cm for ν and 3.14 for π gives the following: C = 2(3.14)(23), which equals 144.44. Thus, the circumference of the circle is approximately 144.44 cm. Question 2: D. The formula for the area of a circle is $A = \pi \kappa^2$. Substituting 3.14 for π and 6 for ν results in 113.04 in ?.